



A weather disaster for volcano in Hawaii

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Topics

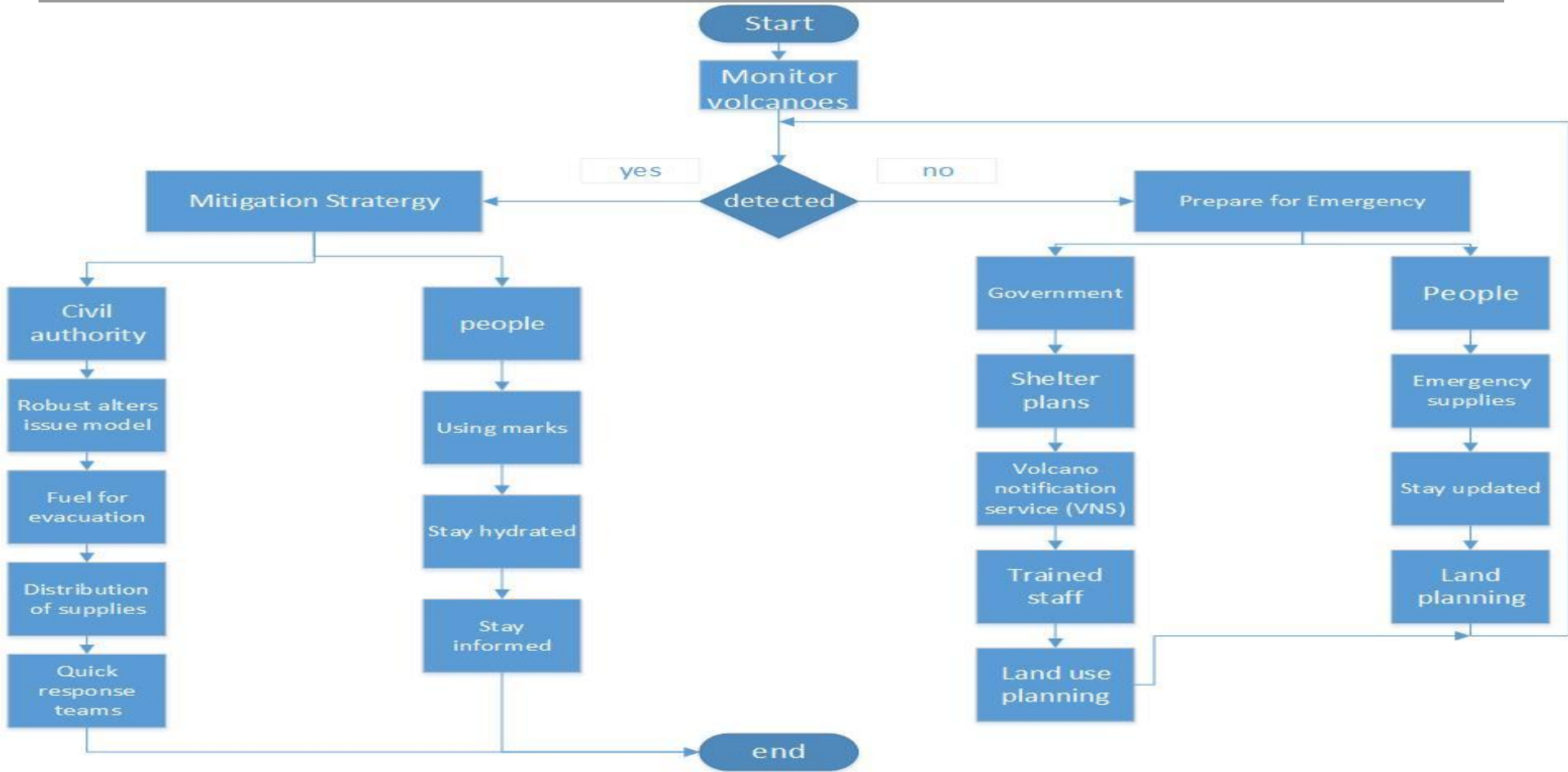
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2. Problems & Answers
3. Solution
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5. Internal failure cost & External failure cost
6. Flowchart
7. COPQ result
8. Affinity Diagram
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10. Process Capability Analysis
11. Conclusions
12. Q&A

Background



A volcano is a **rupture** in the **crust** of a **planetary-mass object**, such as **Earth**, that allows hot **lava**, **volcanic ash**, and **gases** to escape from a **magma chamber** below the surface.

Flow chart



Internal Failure Cost & External Failure Cost

1. Failure to do periodic equipment audit
2. Not maintaining emergency supplies
3. Untrained/Overworked staff

1. Unprepared to combat earthquakes
2. Most of people were not prepared
3. Equipments were not extremely accurate

List of individuals to interview

1. Lost home victim
2. State of Hawaii, Department of Health
3. Medical reserve corps
4. Government officials
5. Tourists

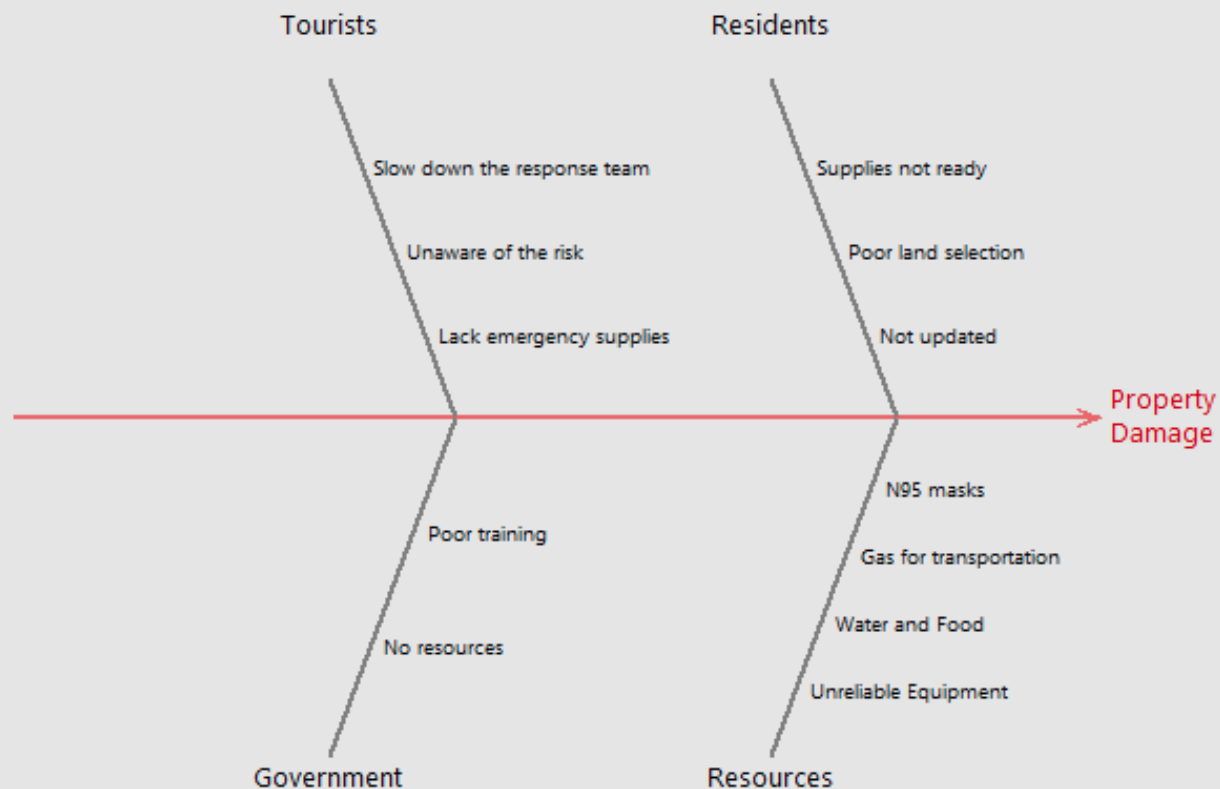
Problem & Answer

1. How was the volcanic eruption aftermath?
2. How many breathing problems were encountered?
3. How much help was gathered from the federal government?
4. How many victims?
5. After the eruption, what was the warning time ?
6. Was the equipment at fault?
7. What was the total monetary damage?
8. How many tourists were affected?
9. What was the percentage of people evacuated?
10. Were the food and shelters enough ?
11. Were the residents warned to have enough emergency supplies?
12. Did the residents have enough supplies?

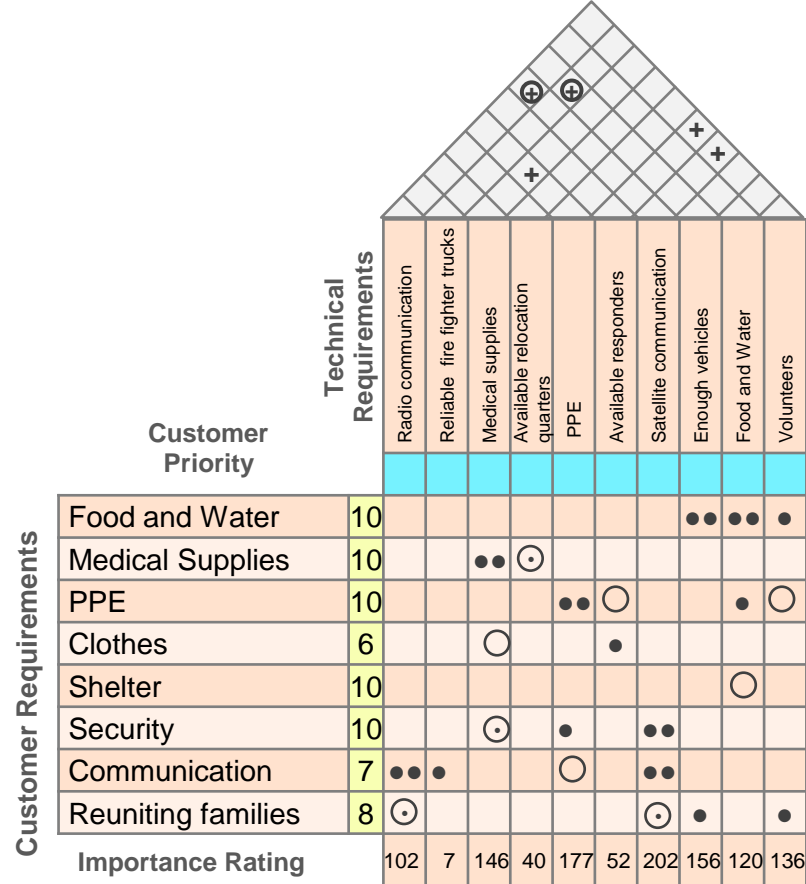
1. It was followed by an earthquake
2. 172,000
3. Five million dollars
4. Five hundred people
5. 20 minutes
6. In some cases yes
7. \$100,000,000
8. 800 hundred tourists
9. Unfortunately No
10. No, they weren't
11. Yes
12. No

Fishbone Chart

Factors Impacting Management of People and Property During Volcanic Eruptions



Quality Function Deployment in Management



Correlations:

- ⊕ Strong Positive
- Positive
- + Strong Negative
- ⊖ Negative
-

Relationships:

- Strongest= 10
- Strong= 7
- Fair= 4
- ⊙ Weak= 1
-

- Stock enough PPE and medical supplies
- Ensure the Hawaii has reliable satellite communication
- Purchase vehicles that can withstand different terrains for emergency relocations

Solution

- Buy new equipment with better predictive accuracy
- Stock enough PPE and medical supplies
- Ensure the Hawaii has reliable satellite communication
- Purchase vehicles that can withstand different terrains for emergency relocations

Solution Focus:

Better equipment with better predictive accuracy which will allow timely response and management of people

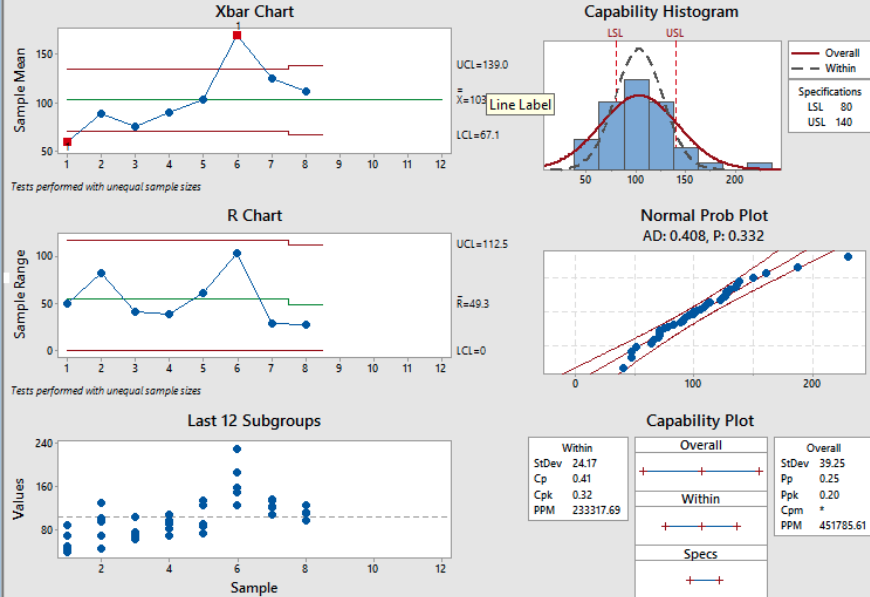
Process Capability Analysis

1. To check the accuracy and reliability of the Seismic Spectral Amplitude Measurement (SSAM) compared to the Real-time Seismic Amplitude Measurement (RSAM) in predicting volcanic eruptions
2. Estimators: Process capability Ppk and Cpk

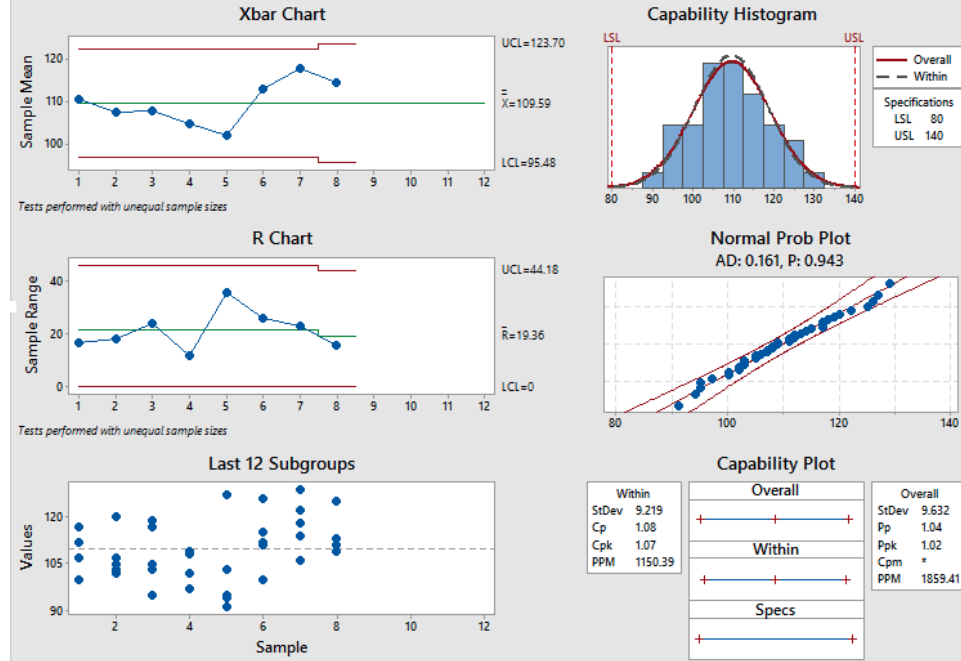
Process Capability Analysis

Before

Process Capability Sixpack Report for RSAM



Process Capability Sixpack Report for SSAM



After

OC plan data

Here we do the OC plan for Seismic equipment GOOD SAMPLE: Here we have $N=80$ and $C=7$ so the first run that we did is with $PD=0.04$, which is less than 0.05 which is our α , so we find the number of samples throughout the lot which are more than 7, after testing 100 lots (randomly) we find that only one lot is more than 7 (highlighted in red colour).

BAD SAMPLE: We do the second testing but this time it is to check whether our $PD=0.16$ produces 5 or more good lot or not, and safe to say that it produces all the batches (except 2 of them which passed in error highlighted in green) which failed, so our β value is correct as well.

	PD	OC	Good	Bad									
1	0.05	0.95	3	10	35								
2	0.06	0.89	5	12	36	4	8	69				7	12
3	0.07	0.80	6	12	37	5	10	70				0	12
4	0.08	0.69	4	14	38	5	10	71				1	11
5	0.09	0.56	3	9	39	3	11	72				4	14
6	0.10	0.44	5	12	40	2	15	73				3	16
7	0.11	0.33	3	7	41	2	10	74				1	10
8	0.12	0.24	4	12	42	1	20	75				4	13
9	0.13	0.16	2	16	43	2	5	76				2	10
10	0.14	0.11	5	15	44	4	13	77				1	18
11	0.15	0.07	3	12	45	5	12	78				1	12
12			1	10	46	3	10	79				2	12
13			7	14	47	6	16	80				2	15
14			1	13	48	2	12	81				1	14
15			5	13	49	3	7	82				5	7
16			4	15	50	2	15	83				2	15
17			1	13	51	6	11	84				4	14
18			1	17	52	4	13	85				2	7
19			2	9	53	0	17	86				1	17
20			5	16	54	0	13	87				5	12
21			3	14	55	4	15	88				3	15
22			2	16	56	1	15	89				2	9
23			1	14	57	3	9	90				4	17
24			3	12	58	3	17	91				4	13
25			4	15	59	2	8	92				9	11
26			2	15	60	4	8	93				3	11
27			1	13	61	2	14	94				2	13
28			3	14	62	3	14	95				4	8
29			5	9	63	1	19	96				6	12
30			3	13	64	5	12	97				2	13
31			4	14	65	4	14	98				4	8
32			3	12	66	5	18	99				4	13
33			2	12	67	6	12	100				3	13
34			1	16	68	4	18						

OC plans example

- Now we can see that since our $N=80$ and $C=7$ we fall into “J” bracket.
- And from the figure below we can see that lot size is between 500-1200.
- Thus we can see that both procedures lead to same result.
- So we can see that the statisticians and quality engineers who made the ANSI table used Nomograms and binomial distributions over a lot of data samples to get the fairly accurate table.

TABLE 155
Master table for normal inspection (single sampling)

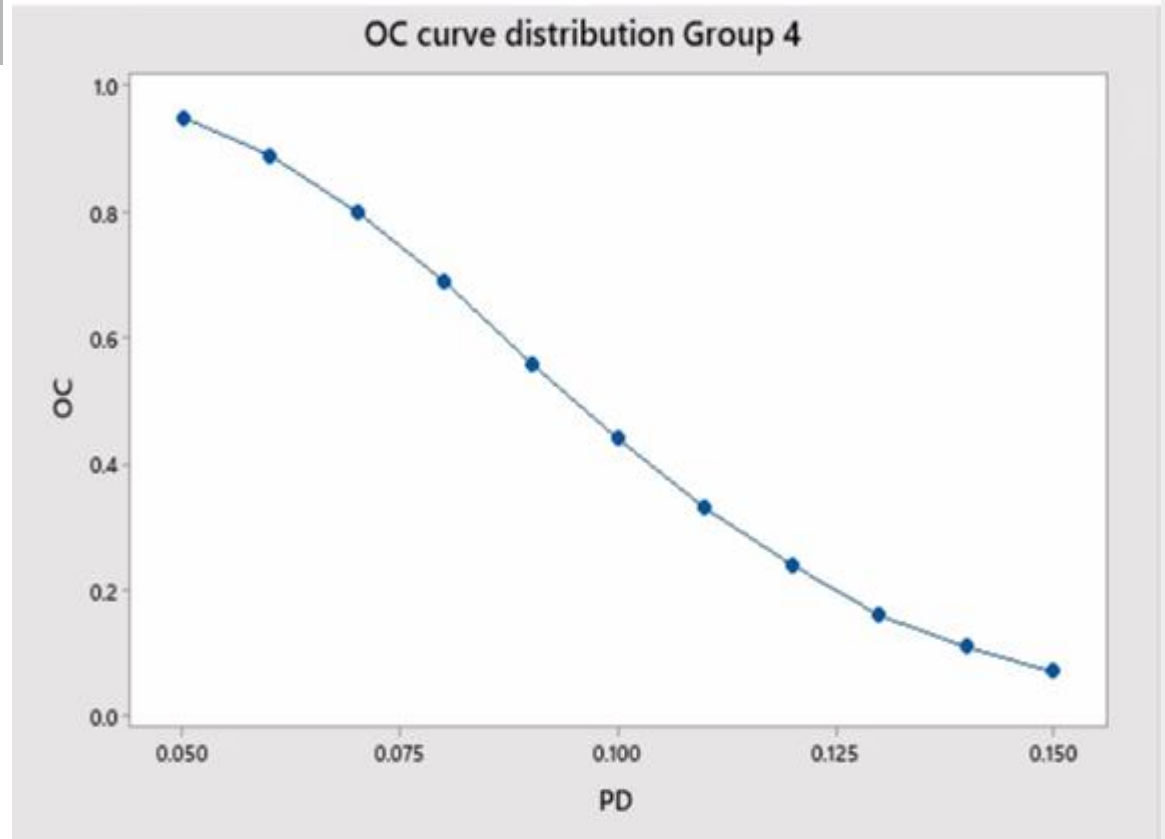
Sample size code letter	Acceptable quality levels (normal inspection)												
	Sample size	0.010	0.015	0.025	0.040	0.065	0.10	0.15	0.25	0.40	0.65	1.0	1.5
A	2												
B	3												
C	5												
D	8												
E	13												
F	20												
G	32												
H	50												
J	80												
K	125												
L	200												
M	315												
N	500												
P	800												
Q	1250												
R	2000												

TABLE 155
Master table for normal inspection (single sampling) (cont.)

Acceptable quality levels (normal inspection)	
Sample size code letter	Sample size
	25
	40
	65
	100
	150
	250
	400
	650
	1000

OC plans

1. The X axis is Percent defective and Y axis is OC.
2. This is our OC curve with 10 points between 0.05 to 0.15
3. If there were more points taken then it would give even more details and it would look like an “S” shape, hence the name.



DOE analyze

For the analysis we are conducting a full factorial design. 3 factors (**A is keeping the gas tank full, B is Engine maintenance, C is maintenance of Tires**) each of which have two levels and 2 replicates are considered.

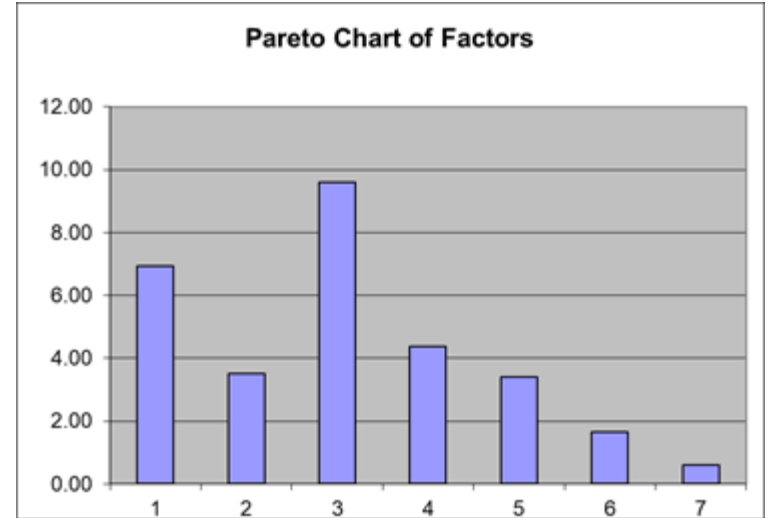
GROUP 4

Design of Experiments Analysis											Run Results				
Run	Factorial Experiments 2^3 (Three Replications/Treatment)									ABC	Y1	Y2	Avg.	Var.	
1	A	-1	B	-1	C	-1	AB	1	AC	1	1	6.10174717	3.459063504	4.780	3.492
2		1		-1		-1		-1		-1	1	5.91534636	3.204600038	4.560	3.674
3		-1		1		-1		1		1	-1	7.14254516	-1.407847304	2.867	36.555
4		1		1		1		-1		-1	-1	9.37881551	10.93316371	10.156	1.208
5		-1		-1		1		1		-1	1	7.84814906	12.02498979	9.937	8.723
6		1		-1		1		-1		1	-1	16.3282885	14.30381983	15.316	2.049
7		-1		1		1		-1		-1	1	7.46674486	12.76465375	10.116	14.034
8		1		1		1		1		1	1	23.1017211	27.78866261	25.445	10.984
TotSum												83.28	83.07	83.18	80.72

Design of Experiments Analysis											Run Results				
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1	A	-1	B	-1	C	-1	AB	1	AC	1	1	6.10174717	3.459063504	4.780	3.492
2		1		-1		-1		-1		-1	1	5.91534636	3.204600038	4.560	3.674
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4		1		1		1		-1		-1	-1	9.37881551	10.93316371	10.156	1.208
5		-1		-1		1		1		-1	1	7.84814906	12.02498979	9.937	8.723
6		1		-1		1		-1		1	-1	16.3282885	14.30381983	15.316	2.049
7		-1		1		1		-1		-1	1	7.46674486	12.76465375	10.116	14.034
8		1		1		1		1		1	1	23.1017211	27.78866261	25.445	10.984
TotSum												83.28	83.07	83.18	80.72
\$umY+		55.48		48.58		60.81		50.32		48.41		44.90	42.81		
\$umY-		27.70		34.59		22.36		32.88		34.77		38.28	40.37		
AvgY+		13.87		12.15		15.20		12.58		12.10		11.23	10.70		
AvgY-		6.93		8.65		5.59		8.21		8.69		9.57	10.09		
Effect		6.94		3.50		9.61		4.38		3.41		1.66	0.61		
Var+		4.479		15.695		8.947		8.102		13.270		8.048	14.984		
Var-		15.701		4.485		11.232		14.078		6.910		12.134	5.198		
F		3.508		0.286		1.255		2.307		0.521		1.508	0.347		

Pareto Chart of Effects

- 1) We first calculate the CI half width. The half width is the multiplication of the Effects std Deviation times the Student T value, in this case 2.473., note the T value is based on a confidence value along with degrees of freedom.
- 1) To determine significant factors we compare the factors “Effect” which is the delta between the AvgY+ and the AvgY-, see figure 2-5, factors and interactions that are significant are those that have an effect that is greater than the CI half width calculated above. The below figure 2-7 shows the significant effects.



Var. of Model	10.09	StdDv	3.18
Var. of Effect	2.52	StdDv	1.59
Student T (0.025;DF) =			2.752
C.I. Half Width =			4.370

DOE minitab

The figure above shows the experiment design created by Minitab. The design includes three (3) factors (A, B and C), two (2) levels and sixteen (16) runs. Minitab randomizes and provides the order in which each run should be performed in the RunOrder column.

In this example the RunOrder is the same as the StdOrder, therefore, the runs are the same. The experimental runs are thus performed according to the default Minitab row numbers. After each run the results are recorded in the Yield column.

C9	C10	C11	C12	C13	C14	C15	C16
StdOrder	RunOrder	Blocks	CenterPt	Humidity (A)	Temperature (B)	Production Process (C)	Yield
1	1	1	1	-1	-1	-1	
2	2	1	1	1	-1	-1	
3	3	1	1	-1	1	-1	
4	4	1	1	1	1	-1	
5	5	1	1	-1	-1	1	
6	6	1	1	1	-1	1	
7	7	1	1	-1	1	1	
8	8	1	1	1	1	1	
9	9	1	1	-1	-1	-1	
10	10	1	1	1	-1	-1	
11	11	1	1	-1	1	-1	
12	12	1	1	1	1	-1	
13	13	1	1	-1	-1	1	
14	14	1	1	1	-1	1	
15	15	1	1	-1	1	1	
16	16	1	1	1	1	1	

Yield results

Each experimental run is performed twice. Therefore, two data points are obtained per run.

C9	C10	C11	C12	C13	C14	C15	C16
StdOrder	RunOrder	Blocks	CenterPt	Humidity (A)	Temperature (B)	Production Process (C)	Yield
1	1	1	1	-1	-1	-1	6.1017
2	2	1	1	1	-1	-1	5.9153
3	3	1	1	-1	1	-1	7.1425
4	4	1	1	1	1	-1	9.3788
5	5	1	1	-1	-1	1	7.8481
6	6	1	1	1	-1	1	16.3283
7	7	1	1	-1	1	1	7.4667
8	8	1	1	1	1	1	23.1017
9	9	1	1	-1	-1	-1	3.4591
10	10	1	1	1	-1	-1	3.2046
11	11	1	1	-1	1	-1	-1.4078
12	12	1	1	1	1	-1	10.9332
13	13	1	1	-1	-1	1	12.0250
14	14	1	1	1	-1	1	14.3038
15	15	1	1	-1	1	1	12.7647
16	16	1	1	1	1	1	27.7887

P value

From the coded coefficients table above, for factor B and interactions A*C, B*C and A*B*C hypothesis tests we fail to reject the null hypothesis. The p-values for each are 0.059, 0.064, 0.327 and 0.711, which is above the alpha value of 0.05 (95% confidence). Therefore, the yield in this experiment is governed by humidity, the production process and the interactions between the humidity and temperature.

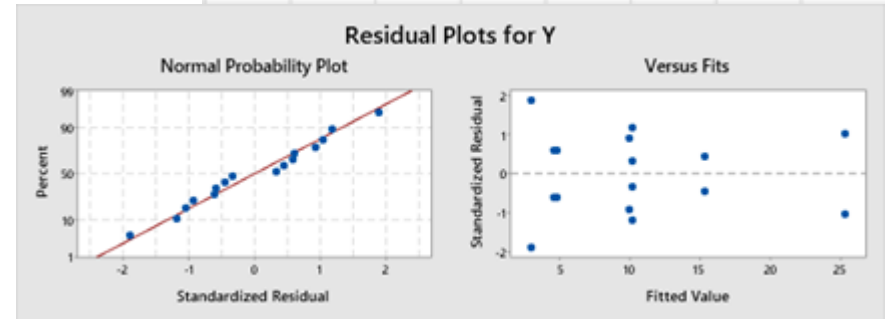
Coded Coefficients

Term	Effect	Coef	SE Coef	T-Value	P-Value	VIF	
Constant		10.397	0.794	13.09	0.000		
A		6.944	3.472	0.794	4.37	0.002	1.00
B		3.498	1.749	0.794	2.20	0.059	1.00
C		9.612	4.806	0.794	6.05	0.000	1.00
A*B		4.365	2.182	0.794	2.75	0.025	1.00
A*C		3.410	1.705	0.794	2.15	0.064	1.00
B*C		1.656	0.828	0.794	1.04	0.327	1.00
A*B*C		0.610	0.305	0.794	0.38	0.711	1.00

Minitab regression

The table below formerly used in the DOE with the response (yield results) populated is used for the analysis. For the first regression analysis all the factors (humidity, temperature and production process) and their interactions are analyzed.

A	B	C	AB	AC	BC	ABC	Y
-1	-1	-1	1	1	1	-1	6.1017
1	-1	-1	-1	-1	1	1	5.9153
-1	1	-1	-1	1	-1	1	7.1425
1	1	-1	1	-1	-1	-1	9.3788
-1	-1	1	1	-1	-1	1	7.8481
1	-1	1	-1	1	-1	-1	16.3283
-1	1	1	-1	-1	1	-1	7.4667
1	1	1	1	1	1	1	23.1017
-1	-1	-1	1	1	1	-1	3.4591
1	-1	-1	-1	-1	1	1	3.2046
-1	1	-1	-1	1	-1	1	-1.4078
1	1	-1	1	-1	-1	-1	10.9332
-1	-1	1	1	-1	-1	-1	12.0250
1	-1	1	-1	1	-1	-1	14.3038
-1	1	1	-1	-1	1	-1	12.7647
1	1	1	1	1	1	1	27.7887

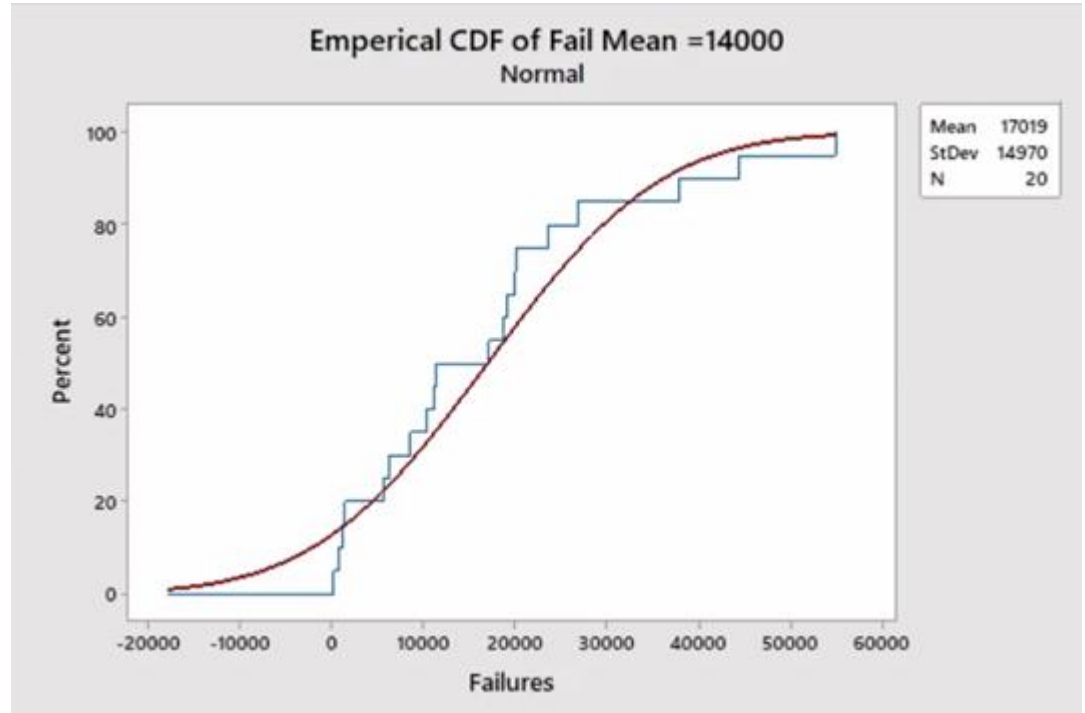


Reliability

The Red circles denote the important points:

20% of the failure are less than **215**

Last 10% of the failure are higher than **54,936**



Reliability

$N=14000$ $T=20$ $K1=340376$; $K2=680751$

$K6= 1/K3 =0.00008716$ $K7= 5000$

Chi- square with 40 DF $P=0.025$ 24.43

$K8= 0.646719$ $K9= 0.835743$

Chi square with 40 DF $P=0.975$ 59.34

So as this is not good as the highest is just 0.84 (which means that with 95% certainty the equipment will fail 2 out of 10 times), we will change time to 10 hours (which is very aggressive but we want to check how safe we can get)

$K3= K2/59.34 =11,472.0$

$K4= K2/24.43 =27,865.4$

$K10= 0.999129$ $K11= 0.999640$ **So as we can see that there is always 99.9% or more certainty that the equipment would not fail, which is almost certain that the setup is very robust.**

$K5= 1/K4 =0.00003588$

SPC

$$\bar{x} = \frac{x_1 + x_2 + x_3 + x_4 + x_5}{4}$$

$$R = x_{\max} - x_{\min}$$

$$\bar{x} = \frac{\bar{x}_1 + \bar{x}_2 + \dots + \bar{x}_8}{8} = 104.225$$

$$\bar{R} = \frac{R_1 + R_2 + \dots + R_8}{8} = 56.75$$

Number	1	2	3	4	5	Avg	R
Data	50	45	76	93	39	60.6	54
Number	6	7	8	9	10	Avg	R
Data	140	100	110	76	50	95.2	90
Number	11	12	13	14	15	Avg	R
Data	110	69	58	64	76	75.4	52
Number	16	17	18	19	20	Avg	R
Data	116	86	78	69	93	88.4	47
Number	21	22	23	24	25	Avg	R
Data	142	129	89	92	103	111	53
Number	26	27	28	29	30	Avg	R
Data	238	200	163	159	121	176.2	117
Number	31	32	33	34	35	Avg	R
Data	120	128	124	110	113	119	18
Number	36	37	38	39	40	Avg	R
Data	112	98	99	110	121	108	23

spc

Process Capability Sixpack Report for RSAM

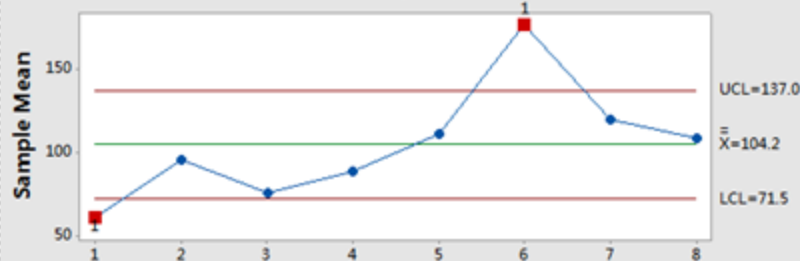
$$UCL_{\bar{x}} = \bar{\bar{x}} + A_2 \bar{R} = 137.0$$

$$LCL_{\bar{x}} = \bar{\bar{x}} - A_2 \bar{R} = 71.5$$

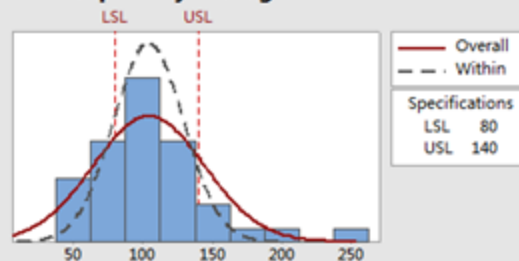
$$UCL_{\bar{R}} = D_4 * \bar{R} = 120.0$$

$$LCL_{\bar{R}} = D_3 * \bar{R} = 0$$

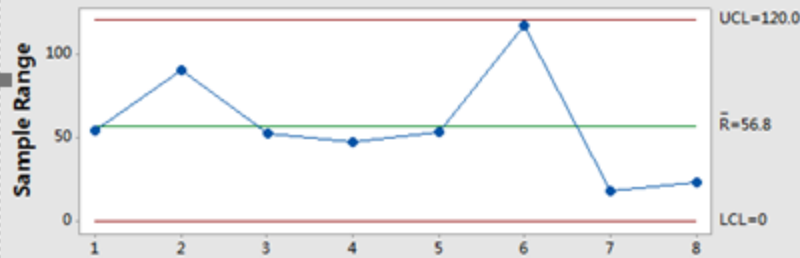
Xbar Chart



Capability Histogram

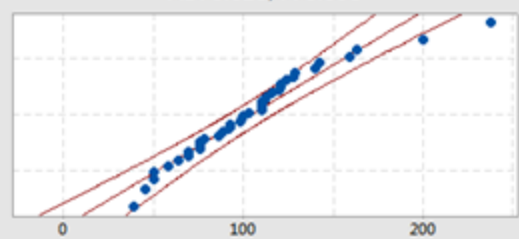


R Chart

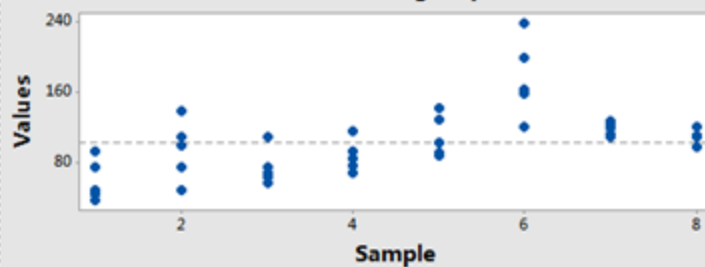


Normal Prob Plot

AD: 0.623, P: 0.098



Last 8 Subgroups



Capability Plot



SPC

$$\bar{x} = \frac{x_1 + x_2 + x_3 + x_4 + x_5}{4}$$

$$R = x_{\max} - x_{\min}$$

$$\bar{x} = \frac{\bar{x}_1 + \bar{x}_2 + \dots + \bar{x}_8}{8} = 109.75$$

$$\bar{R} = \frac{R_1 + R_2 + \dots + R_8}{8} = 24.75$$

Number	1	2	3	4	5	Avg	R
Data	107	114	119	101	110	110.2	18
Number	6	7	8	9	10	Avg	R
Data	121	105	107	104	101	107.6	20
Number	11	12	13	14	15	Avg	R
Data	118	116	105	103	93	107	25
Number	16	17	18	19	20	Avg	R
Data	109	108	98	103	103	104.2	11
Number	21	22	23	24	25	Avg	R
Data	132	103	90	93	95	102.6	42
Number	26	27	28	29	30	Avg	R
Data	129	110	113	111	98	112.2	31
Number	31	32	33	34	35	Avg	R
Data	139	123	109	113	119	120.6	30
Number	36	37	38	39	40	Avg	R
Data	128	107	109	112	112	113.6	21

SPC

$$UCL_{\bar{x}} = \bar{\bar{x}} + A_2 \bar{R} = 124.03 \leftarrow$$

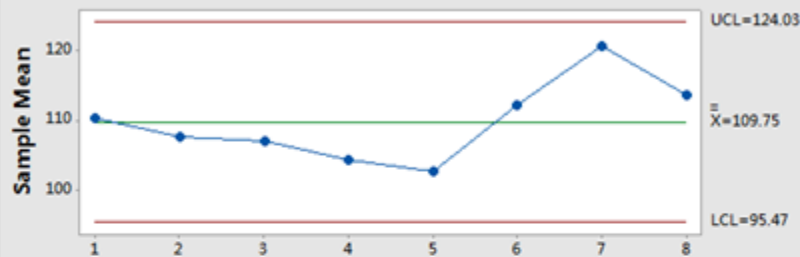
$$LCL_{\bar{x}} = \bar{\bar{x}} - A_2 \bar{R} = 95.47 \leftarrow$$

$$UCL_{\bar{R}} = D_4 * \bar{R} = 52.33 \leftarrow$$

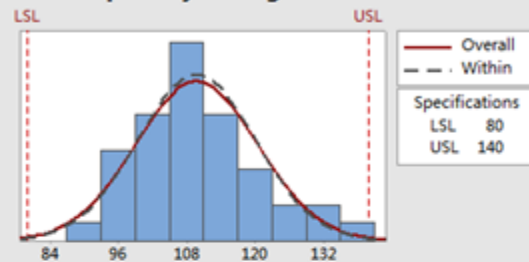
$$LCL_{\bar{R}} = D_3 * \bar{R} = 0 \leftarrow$$

Process Capability Sixpack Report for SSAM

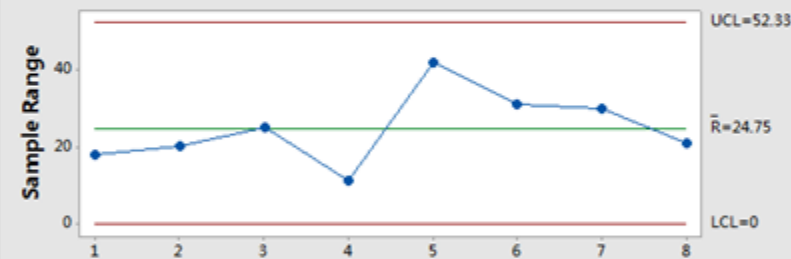
Xbar Chart



Capability Histogram

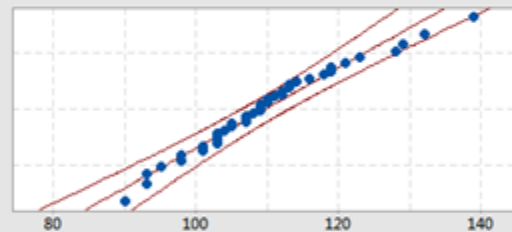


R Chart

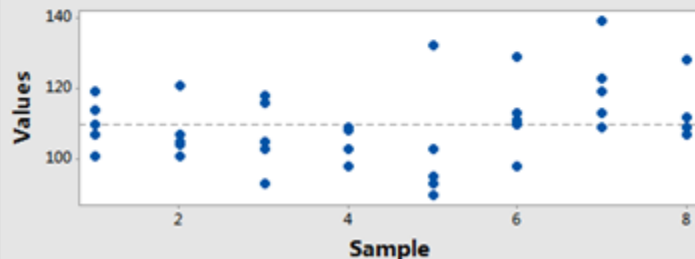


Normal Prob Plot

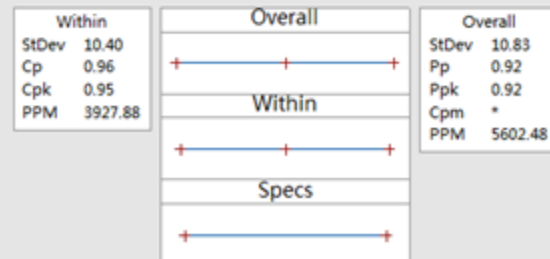
AD: 0.421, P: 0.310



Last 8 Subgroups



Capability Plot



Conclusion

- The Seismic Spectral Amplitude Measurement (SSAM) is more precise and reliable compared to the Real-time Seismic Amplitude (RSAM) in predicting volcanic eruptions. Therefore, offers a better chance for volcanic eruptions management.
- We also have colaboration with the weather and news channels and the radio as well so we can forecast the eruption and let all the people know in advance.
- The tourists will be stopped during the months of high risk.
- The Evacuation vehicles need to ready to work at a short moment of notice.

THANK YOU!